

# **Design And Simulation Of Optical Code Converters**

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#### **ABSTRACT:**

The applications that need high-speed decoding/encoding, optical packet routing/switching, ultrafast computation, and code conversion look poised to benefit from this new optical technology. There was a proposal for an optical decoder and encoder in the prior chapter. One of the benefits of signal (optical) processing is the range of analysis options it gives. It is impossible to create optical parts without optical logic gates. In this article, design and simulation of optical code converters has been discussed.

**Keywords:** Optical, Code, Converters, Boolean

#### **INTRODUCTION:**

The conversion from binary to octal (B-O) is seen in Figure. In this case, seven MZIs are employed to create the B-O converter. On MZI1's first input terminal, an optical CW signal is applied. Input terminal one of MZI3 and MZI2 are connected to the output terminals (1 and 2) of MZI1.

#### **Design of Binary to Octal Code Converter:**



## **4778 | Dr. A. S. Rathore Design And Simulation Of Optical Code Converters Figure 1. Conceptual diagram of binary to octal code converter using MZIs**

First input terminals of MZI5 and MZI4 are connected to additional output terminals (1 and 2) of MZI2. In a similar fashion, terminal one of MZI7 is connected to the first output of MZI3, and terminal one of MZI6 is connected to the first output of MZI3. Electrode 2 of MZI1 receives the binary value A. (electrical voltage is equal to 6.75 V). Electrode 2 of MZI2 and MZI3 provides Bit B. Bit C is similarly supplied at the central electrode of MZI4, MZI5, MZI6, and MZI7. The octal outputs are considered as  $O_0$ ,  $O_1$ ,  $O_2$ ,  $O_3$ ,  $O_4$ ,  $O_5$ ,  $O_6$ , and  $O_7$ .

## **Mathematical formulation of binary to octal code converter:**

Power for the B-O code converter is supplied to MZI4, MZI5, MZI6, and MZI7 through their second output terminals. Hence, the normalized power at the output terminals  $(0<sub>0</sub>, 0<sub>1</sub>, 0<sub>2</sub>)$ ,  $0_3$ ,  $0_4$ ,  $0_5$ ,  $0_6$ , and  $0_7$ ) is determined by using the mathematical formula of single stage of MZI provided in Eqs (12) and (13) respectively.

The output  $00$  at output terminal two of MZI4 as;

$$
O_{0 \text{ MZI4}} = \begin{bmatrix} \left\{ je^{-j(\varphi_{0} MZI1)} \cos\left(\frac{\Delta \varphi_{MZI1}}{2}\right) \right\} \\ \left\{ je^{-j(\varphi_{0} MZI2)} \cos\left(\frac{\Delta \varphi_{MZI2}}{2}\right) \right\} \\ \left\{ je^{-j(\varphi_{0} MZI4)} \cos\left(\frac{\Delta \varphi_{MZI4}}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{0 \text{ MZI4}}}{E_{in}} = \begin{bmatrix} \left\{ je^{-j(\varphi_{0} MZI1)} \cos\left(\frac{\Delta \varphi_{MZI1}}{2}\right) \right\} \\ \left\{ je^{-j(\varphi_{0} MZI2)} \cos\left(\frac{\Delta \varphi_{MZI2}}{2}\right) \right\} \\ \left\{ je^{-j(\varphi_{0} MZI4)} \cos\left(\frac{\Delta \varphi_{MZI4}}{2}\right) \right\} \end{bmatrix}
$$

$$
O_{0} = \left\{ \frac{O_{0 \text{ MZI4}}}{E_{in}} \right\}^{2} = \cos^{2} \left( \frac{\Delta \varphi_{MZI1}}{2} \right) \cos^{2} \left( \frac{\Delta \varphi_{MZI2}}{2} \right) \cos^{2} \left( \frac{\Delta \varphi_{MZI2}}{2} \right)
$$

The first output terminal  $O_1$  of MZI4's output is defined as;

$$
O_{1_{\text{MZI4}}} = \begin{bmatrix} \left\{je^{-j(\varphi_0 M Z I_1)} \cos\left(\frac{\Delta \varphi M Z I_1}{2}\right)\right\} \\ \left\{je^{-j(\varphi_0 M Z I_2)} \cos\left(\frac{\Delta \varphi M Z I_2}{2}\right)\right\} \\ \left\{-je^{-j(\varphi_0 M Z I_4)} \sin\left(\frac{\Delta \varphi M Z I_4}{2}\right)\right\} \end{bmatrix} E_{in}
$$

**Converters** 

$$
O_{\frac{1}{2}} = \begin{bmatrix} \left\{ je^{-j(\phi_{0}MZI_{1})}\cos\left(\frac{\Delta\phi_{MZI_{1}}}{2}\right) \right\} \\ \left\{ je^{-j(\phi_{0}MZI_{2})}\cos\left(\frac{\Delta\phi_{MZI_{2}}}{2}\right) \right\} \\ \left\{ -je^{-j(\phi_{0}MZI_{4})}\sin\left(\frac{\Delta\phi_{MZI_{4}}}{2}\right) \right\} \end{bmatrix}
$$
  

$$
O_{1} = \left\{ \frac{o_{1MZI_{4}}}{E_{in}} \right\}^{2} = \cos^{2}\left(\frac{\Delta\phi_{MZI_{1}}}{2}\right)\cos^{2}\left(\frac{\Delta\phi_{MZI_{2}}}{2}\right)\sin^{2}\left(\frac{\Delta\phi_{MZI_{4}}}{2}\right)
$$

 $0<sub>2</sub>$  is discharged from MZI5's second terminal as;

$$
O_{2 \text{ MZIS}} = \begin{bmatrix} \left\{ j e^{-j(\varphi_0 M Z I 1)} \cos \left( \frac{\Delta \varphi_0 M Z I 1 z}{2} \right) \right\} \\ \left\{ -j e^{-j(\varphi_0 M Z I 2)} \sin \left( \frac{\Delta \varphi_0 M Z I 2 z}{2} \right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I 1)} \cos \left( \frac{\Delta \varphi_0 M Z I 1 z}{2} \right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{2 \text{ MZIS}}}{E_{in}} = \begin{bmatrix} \left\{ j e^{-j(\varphi_0 M Z I 1)} \cos \left( \frac{\Delta \varphi_0 M Z I 1 z}{2} \right) \right\} \\ \left\{ -j e^{-j(\varphi_0 M Z I 2)} \sin \left( \frac{\Delta \varphi_0 M Z I 2 z}{2} \right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I 1 s)} \cos \left( \frac{\Delta \varphi_0 M Z I 2 z}{2} \right) \right\} \end{bmatrix}
$$

$$
O_2 = \begin{bmatrix} \frac{O_{2 \text{ MZIS}}}{E_{in}} \end{bmatrix}^2 = \cos^2 \left( \frac{\Delta \varphi_0 M Z I 1 z}{2} \right) \sin^2 \left( \frac{\Delta \varphi_0 M Z I 2 z}{2} \right) \cos^2 \left( \frac{\Delta \varphi_0 M Z I 2 z}{2} \right)
$$

At MZI5's first output terminal,  $0_3$  is output as;

$$
O_{3 \text{ MZIS}} = \begin{bmatrix} \left\{ je^{-j(\phi_{0} MZI1)} \cos\left(\frac{\Delta \phi_{MZI1}}{2}\right) \right\} \\ \left\{ -je^{-j(\phi_{0} MZI2)} \sin\left(\frac{\Delta \phi_{MZI2}}{2}\right) \right\} \\ \left\{ -je^{-j(\phi_{0} MZI5)} \sin\left(\frac{\Delta \phi_{MZI5}}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{3 \text{ MZIS}}}{E_{in}} = \begin{bmatrix} \left\{ je^{-j(\phi_{0} MZI1)} \cos\left(\frac{\Delta \phi_{MZI1}}{2}\right) \right\} \\ \left\{ -je^{-j(\phi_{0} MZI2)} \sin\left(\frac{\Delta \phi_{MZI2}}{2}\right) \right\} \\ \left\{ -je^{-j(\phi_{0} MZI5)} \sin\left(\frac{\Delta \phi_{MZI5}}{2}\right) \right\} \end{bmatrix}
$$

**Converters** 

$$
O_3 = \left| \frac{O_{sMZIs}}{E_{in}} \right|^2 = \cos^2 \left( \frac{\Delta \varphi_{MZI_1}}{2} \right) \sin^2 \left( \frac{\Delta \varphi_{MZI_2}}{2} \right) \sin^2 \left( \frac{\Delta \varphi_{MZIs}}{2} \right)
$$

The MZI6 output  $O_4$  is defined as;

$$
O_{4\text{MZI6}} = \begin{bmatrix} \left\{ -j e^{-j(\varphi_0 M Z I1)} \sin\left(\frac{\Delta \varphi M Z I1}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I3)} \cos\left(\frac{\Delta \varphi M Z I5}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I5)} \cos\left(\frac{\Delta \varphi M Z I6}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{4\text{MZI6}}}{E_{in}} = \begin{bmatrix} \left\{ -j e^{-j(\varphi_0 M Z I1)} \sin\left(\frac{\Delta \varphi M Z I1}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I5)} \cos\left(\frac{\Delta \varphi M Z I5}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I5)} \cos\left(\frac{\Delta \varphi M Z I6}{2}\right) \right\} \end{bmatrix}
$$

$$
O_4 = \left\{ \frac{O_{4\text{MZI6}}}{E_{in}} \right\}^2 = \sin^2\left(\frac{\Delta \varphi M Z I1}{2}\right) \cos^2\left(\frac{\Delta \varphi M Z I3}{2}\right) \cos^2\left(\frac{\Delta \varphi M Z I5}{2}\right)
$$

 $0<sub>5</sub>$  is the signal at MZI6's first output terminal.

$$
O_{5 M Z I 6} = \begin{bmatrix} \left\{ -j e^{-j(\varphi_0 M Z I 1)} \sin\left(\frac{\Delta \varphi M Z I 1}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I 8)} \cos\left(\frac{\Delta \varphi M Z I 8}{2}\right) \right\} \\ \left\{ -j e^{-j(\varphi_0 M Z I 6)} \sin\left(\frac{\Delta \varphi M Z I 6}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{5 M Z I 6}}{E_{in}} = \begin{bmatrix} \left\{ -j e^{-j(\varphi_0 M Z I 1)} \sin\left(\frac{\Delta \varphi M Z I 1}{2}\right) \right\} \\ \left\{ j e^{-j(\varphi_0 M Z I 8)} \cos\left(\frac{\Delta \varphi M Z I 8}{2}\right) \right\} \\ \left\{ -j e^{-j(\varphi_0 M Z I 6)} \sin\left(\frac{\Delta \varphi M Z I 6}{2}\right) \right\} \end{bmatrix}
$$

$$
O_5 = \left\{ \frac{O_{5 M Z I 6}}{E_{in}} \right\}^2 = \sin^2\left(\frac{\Delta \varphi M Z I 1}{2}\right) \cos^2\left(\frac{\Delta \varphi M Z I 8}{2}\right) \sin^2\left(\frac{\Delta \varphi M Z I 6}{2}\right)
$$

This is the result of MZI7's second output terminal's  $0_6$  signal being interpreted as;

**Converters** 

$$
O_{6 M Z I 7} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I 1)} \sin\left(\frac{\Delta \varphi_{M Z I 1}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I 5)} \sin\left(\frac{\Delta \varphi_{M Z I 5}}{2}\right) \right\} \\ \left\{j e^{-j(\varphi_{0} M Z I 7)} \cos\left(\frac{\Delta \varphi_{M Z I 7}}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{6 M Z I 7}}{E_{in}} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I 1)} \sin\left(\frac{\Delta \varphi_{M Z I 1}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I 1)} \sin\left(\frac{\Delta \varphi_{M Z I 1}}{2}\right) \right\} \\ \left\{j e^{-j(\varphi_{0} M Z I 7)} \cos\left(\frac{\Delta \varphi_{M Z I 7}}{2}\right) \right\} \end{bmatrix}
$$

$$
O_{6} = \left\{\frac{O_{6 M Z I 7}}{E_{in}}\right\}^{2} = \sin^{2}\left(\frac{\Delta \varphi_{M Z I 2}}{2}\right) \sin^{2}\left(\frac{\Delta \varphi_{M Z I 5}}{2}\right) \cos^{2}\left(\frac{\Delta \varphi_{M Z I 7}}{2}\right)
$$

Input terminal one of MZI7 produces  $0_6$  as an output;

$$
O_{7 \text{ MZI7}} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I1}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I3)} \sin\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I7)} \sin\left(\frac{\Delta \varphi_{M Z I1}}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{O_{7 \text{ MZI7}}}{E_{in}} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I1}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I3)} \sin\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I7)} \sin\left(\frac{\Delta \varphi_{M Z I7}}{2}\right) \right\} \end{bmatrix}
$$

$$
O_{7} = \left|\frac{O_{7 \text{ MZI7}}}{E_{in}}\right|^{2} = \sin^{2}\left(\frac{\Delta \varphi_{M Z I1}}{2}\right) \sin^{2}\left(\frac{\Delta \varphi_{M Z I3}}{2}\right) \sin^{2}\left(\frac{\Delta \varphi_{M Z I7}}{2}\right)
$$

The equation for determining the phase difference in MZI is  $\Delta \varphi M Z I1 = \varphi 11 - \varphi 12$ ,  $\varphi_{11} =$  $\pi$  $\frac{\pi}{v \pi} A$ ,  $\varphi$ <sub>12</sub> =  $\frac{\pi}{v \pi}$  $\frac{n}{V\pi}B$ , where, A = 6.75V and B = 0V. Similarly, the phase difference of any MZI may be determined.

As shown in Figures, the B-O code converter's simulation results in MATLAB vary depending on the control signals used 'ABC' (i. e 000, 001, 010, ......, 111). The output  $0$  ois obtained at control signal  $A = 0$ ,  $B = 0$  and  $C = 0$ . Similarly, output  $O_1$ ,  $O_2$ , ......  $O_7$ , produced by varying the control signals as described in Table. The signals  $A$ ,  $B$  and  $C$  may be seen in the first, second, and third columns, respectively. Octal values are displayed in the last column.





#### **(b)**

**Figure 2. MATLAB simulation result for**  $\text{B} \text{B} \text{C}$  **(a): 000 to 011 (b): 100 to 111 of B-O code converter**





#### **Simulation results and discussion of binary to octal code converter using BPM:**

In Figure, we see the BPM architecture for the transformation of binary to octal. The circuitry employed here makes use of seven MZIs. The first input terminal of MZI1 receives an optical signal. The first input terminals of MZI2 and MZI3 are connected to the first output terminals of MZI1. One input terminal from MZI4, MZI5, MZI6, and MZI7 is connected to their respective output terminals. Electrical signals carrying the control signals  $(A, B, A)$  and  $C$ ) are encoded using binary bits. Figure depicts where the three control signals  $(A, B \text{ and } C)$  should be in relation to the various MZIs.



#### **Figure 3. Design of binary to octal code converter**

By applying inputs  $(A, B, C)$  to the central electrode in various orders, the resulting responses are detailed below:

**Case 1:**  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 0$ 

In this case, the optical input signal is fed into MZI1's first input; then, with the control signal  $A = 0$ , the optical output signal is sent out MZI1's second terminal. The first input terminal of MZI2 is connected to this terminal. When  $B$  is zero, MZI2's second output terminal, which is connected to MZI4's first input terminal, becomes active and emits an optical signal. Now that we know that, when  $C = 0$ , the signal is produced at terminal two of MZI4 ( $0<sub>0</sub> = 1$ ).



**(a)**



**(b)**

**Figure 4. Results of binary to octal code converter for different combinations of control signals (a):**  $\text{B} \text{B} = 000$  **to 011 (b):**  $\text{B} \text{B} = 100$  **to 111 obtained through beam propagation method**

**Case 2:**  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 1$ 

**Converters** 

Control signals,  $A = 0$ , and  $B = 0$ , the signal (optical), again emerge at MZI2's second output terminal. Having set  $C = 1$ , the optical signal is now being transmitted out of MZI4's terminal 1, or  $0_1 = 1$ .

**Case 3:**  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 0$ 

In this situation, however, the control signal is  $A = 0$ , while  $B = 1$ . This means that the optical signal coming from terminal two of MZI1 will be fed into MZI2's terminal 1 for processing, and since  $B = 1$ , the optical signal will then be output from terminal 1 of MZI2. In the absence of current, a signal (optical) is produced at terminal two of MZI5 as  $C = 0$ , i.e.  $0<sub>2</sub> = 1$ .

**Case 4:**  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 1$ 

Similar to the previous example, the control signals  $A = 0$  and  $B = 1$  the signal (optical) arrive at MZI2's first output terminal. Now, in this example,  $C = 1$ , the optical signal is produced at MZI5's first output terminal i.e. $0_3$  = 1.

**Case 5:**  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 0$ 

Since the control signal,  $A = 1$ , causes the signal (optical) to emerge at MZI1's output terminal 1, this instance is distinct from all the others. At  $B = 0$ , the second MZI3 output terminal begins to receive an optical signal. These wires connect to MZI6's primary input. When  $C$  is set to zero, MZI6's output emerges at its second terminal i.e.  $0_4 = 1$ .

**Case 6:**  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 0$ ,  $\mathbb{Z} = 1$ 

Similar to the previous example, the signal (optical) occurs at MZI3's second output terminal when the control signals,  $A = 1$  and  $B = 0$ . When C set to 1, MZI6's first terminal is now the output i.e. $0<sub>5</sub> = 1$ .

**Case 7:**  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 0$ 

At MZI3's first output terminal, we see both the initial control signals,  $A = 1$  and  $B = 1$ (optical). Now that  $C = 0$ , we see the output coming out of MZI7's second terminal i.e.  $0<sub>6</sub> = 1$ .

**Case 8:**  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 1$ ,  $\mathbb{Z} = 1$ 

In this situation, everything is reversed from the previous examples; the control signals  $(A =$ 1,  $B = 1$ ,  $C = 1$ ) for the optical signal will arrive at the first output terminal of MZI7, making  $0<sub>7</sub> = 1$ . In Figures, we see the truth table in Table being used to verify the aforementioned scenarios.

#### **Design of Octal To Binary Code Converter:**

The conversion diagram from octal to binary (O-B) is shown in Figure. Eight MZIs were used in the design of this. The Octal numeral system uses the numbers 0 through 7. In this case, these numbers are written as  $I0, I1, \ldots, I7$ .



## **Figure 5. Conceptual diagram of octal to binary code converter**

Octal bits  $I_0$ ,  $I_1$ ,  $I_2$ ,  $I_3$ ,  $I_4$ ,  $I_5$ ,  $I_6$ , and  $I_7$  are delivered at electrode two of MZI0, MZI1, MZI2, MZI3, MZI4, MZI5, MZI6, and MZI7. Bit  $B_0$  in the binary representation is the result of adding the signals at the first output terminal of MZI1, MZI3, MZI5, and MZI7. Like MZI1, the first terminal of MZI2, MZI3, MZI6, and MZI7 are combined to form  $B_1$ . Bit  $B_2$  of the binary representation is the aggregate value of the first terminal outputs of MZI4, MZI5, MZI6, and MZI7. At electrode two of the MZI0 to MZI7, a control signal (electrical signal with potential 6.75 V) is delivered to initiate the code conversion with its eight inputs  $(I_0, I_1, \ldots, I_7)$  and three binary ( $B_0$ ,  $B_1$  and  $B_2$ ) outputs, the O-B code converter is a code translator. The truth table for the octal to binary code converter is displayed in Table.





## **Mathematical formulation of octal to binary code converter:**

To activate the O-B code converter, current must now be supplied to one of the terminals labelled MZI0, MZI1, MZI2, MZI3, MZI4, MZI5, MZI6, or MZI7. Normalized powers at the output terminals ( $B_0$ ,  $B_1$  and  $B_2$ ) are computed to show the operation of the O-B code converter analytically. The normalized output power is calculated using the single-stage MZI mathematical formula in Eqs. (12) and (13). The resulting result,  $B_0$ , is the output;

$$
B_{0} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I1}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) \right\} \end{bmatrix} E_{in}
$$
  

$$
\frac{B_{0}}{E_{in}} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I1)} \sin\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I7}}{2}\right) \right\} \end{bmatrix} E_{in}
$$
  

$$
B_{0} = \left|\frac{B_{0}}{B_{in}}\right|^{2} = \sin^{2}\left(\frac{\Delta \varphi_{M Z I2}}{2}\right) + \sin^{2}\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) + \sin^{2}\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) + \sin^{2}\left(\frac{\Delta \varphi_{M Z I5}}{2}\right)
$$

The obtained output  $B_1$  is shown here;

$$
B_{1} = \begin{bmatrix} \{-je^{-j(\varphi_{0}MZI_{2}})sin\left(\frac{\Delta\varphi_{MZI_{2}}}{2}\right) \} \\ \{-je^{-j(\varphi_{0}MZI_{5}})sin\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) \} \\ \{-je^{-j(\varphi_{0}MZI_{5}})sin\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) \} \end{bmatrix} E_{in}
$$
  

$$
\frac{B_{1}}{\{-je^{-j(\varphi_{0}MZI_{7}})sin\left(\frac{\Delta\varphi_{MZI_{2}}}{2}\right) \}} \begin{bmatrix} \{-je^{-j(\varphi_{0}MZI_{2}})sin\left(\frac{\Delta\varphi_{MZI_{2}}}{2}\right) \} \\ -je^{-j(\varphi_{0}MZI_{5}})sin\left(\frac{\Delta\varphi_{MZI_{2}}}{2}\right) \end{bmatrix}
$$
  

$$
B_{1} = \begin{bmatrix} \{-je^{-j(\varphi_{0}MZI_{5}})sin\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) \} \\ \{-je^{-j(\varphi_{0}MZI_{5}})sin\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) \} \\ \{-je^{-j(\varphi_{0}MZI_{7}})sin\left(\frac{\Delta\varphi_{MZI_{7}}}{2}\right) \end{bmatrix}
$$
  

$$
B_{1} = \begin{bmatrix} \frac{B_{1}}{E_{in}} \end{bmatrix}^{2} = sin^{2}\left(\frac{\Delta\varphi_{MZI_{2}}}{2}\right) + sin^{2}\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) + sin^{2}\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right) + sin^{2}\left(\frac{\Delta\varphi_{MZI_{5}}}{2}\right)
$$

The obtained output  $B_2$  is shown here;

**Converters** 

$$
B_{2} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I4)} \sin\left(\frac{\Delta \varphi_{M Z I4}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I6)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I7)} \sin\left(\frac{\Delta \varphi_{M Z I7}}{2}\right) \right\} \end{bmatrix} E_{in}
$$

$$
\frac{B_{2}}{E_{in}} = \begin{bmatrix} \left\{-j e^{-j(\varphi_{0} M Z I4)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I5)} \sin\left(\frac{\Delta \varphi_{M Z I5}}{2}\right) \right\} \\ \left\{-j e^{-j(\varphi_{0} M Z I7)} \sin\left(\frac{\Delta \varphi_{M Z I7}}{2}\right) \right\} \end{bmatrix}
$$

$$
B_2 = \left|\frac{B_2}{B_{\text{in}}}\right|^2 = \sin^2\left(\frac{\Delta\varphi_{MZI4}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI5}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI6}}{2}\right) + \sin^2\left(\frac{\Delta\varphi_{MZI7}}{2}\right)
$$

The O-B code converter simulation results for different combinations of control signals ' $10$ tol7' are displayed in Figure (equivalent to octal digit 0 to 7 respectively). At control signal  $I_0 = 0$ , we get  $B_0B_1B_2 = 000$  as an output. Similarly, Table displays the output received with various configurations of control signals. The signals  $I_0 - I_7$  are shown in the first column. Bits  $B_0B_1B_2$  are shown in the last column as a binary representation.



**(a)**



**(b)**

## **Figure 6. MATLAB simulation result for octal input (a): 0 to 3 (b): 4 to 7**

## **Design of octal to binary code converter:**

This octal to binary converter is seen in Figure. Eight MZIs are utilized in the construction of this circuit. Every one of the input terminals labelled MZI0, MZI1, MZI2, MZI3, MZI4, MZI5, MZI6, or MZI7 receives a continuous signal (optical). One of the output terminals of MZI1, MZI3, MZI5, and MZI7 are all connected to one another, and this configuration is treated as binary bit  $B_0$ . Binary bit  $B_1$  is connected to the first output terminal of MZI2, MZI3, MZI6, and MZI7. Similarly, the first output terminal of MZI4, MZI5, MZI6, and MZI7 are combined into a single binary bit  $B_2$ .



#### **Figure 7. design of octal to binary code converter**

Octal inputs  $I_0$ ,  $I_1$ ,  $I_2$ ,  $I_3$ ,  $I_4$ ,  $I_5$ ,  $I_6$ ,  $I_7$  are applied to electrode two of MZI0, MZI1, MZI2, MZI3, MZI4, MZI5, and MZI6. Octal to binary code conversion is explained in the following examples (Figure):

#### **Case 1**  $\mathbb{D}_0 = 1$

As  $I_0 = 1$  in octal form, a high voltage is being delivered to electrode two of MZI0. MZI0's initial output is an optical signal. Bits  $B_0$ ,  $B_1$ ,  $B_2$ i.e. $B_0$ ,  $B_1$ ,  $B_2$  = 000 on the output are not linked to this terminal (Figure).



## **Case 2**  $\mathbb{Z}_1 = 1$

The octal input  $I_1$  is high in this scenario. MZI1's second signal output terminal receives the optical signal. 001 indicates that this terminal is connected to the binary value of bit  $B_0$  and that bits  $B_2$  and  $B_1$  both have a value of zero. The octal equivalent of the control signal for all MZIs outside MZI1 is 0. As a result of the optical signal being absorbed by the crystal (Figure).

## **Case 3**  $\mathbb{Z}_2 = 1$

High values of  $I_2$  cause MZI2's first output terminal to receive an optical signal. This terminal corresponds to binary bit  $B_1$ , while bits  $B_0$  and  $B_2$  are both set to zero (or 010) (Figure).

## **Case 4**  $2_3 = 1$

In this case, the optical signal is obtained at MZI3's first output terminal,  $I_3 = 1$ . This terminal connects to the binary digits  $B_0$ ,  $B_1$ , whereas the output from bit  $B_2$  is zero. Hence, the octal representation of the number  $I_3$  is 011 (Figure).

## **Case 5**  $\mathbb{Z}_4 = 1$

In this situation, the first terminal of MZI4's output is active since the octal digit  $I_4$  is high. Bit  $B_2$  is connected to this terminal, making it logically one.  $B_2B_1B_0 = 100$  indicates that bits  $B_0$ and  $B_1$  are both 0 (Figure).







## **(b)**

**4790 | Dr. A. S. Rathore Design And Simulation Of Optical Code Converters Figure 8. BPM simulation results for octal to binary code conversion from (a): 0 to**  **3 (b): 4 to 7**

## **Case 6**  $\mathbb{Z}_5 = 1$

In this scenario, the optical signal is obtained from MZI5's first output terminal, shown by the octal value  $I_5 = 1$ . MZI5 has its output wire connected to the binary digits  $B_2$  and  $B_0$ . For this reason, bits  $B_2$  and  $B_0$  are assigned the logic 1 value, whereas bit  $B_1$  is assigned the logic 0 value, or 101 (Figure).

## **Case 7**  $\mathbb{Z}_6 = 1$

Given that  $I_6 = 1$ , the MZI6 control signal is active in this case. Because of this (optical) signal, MZI6's first output is obtained. The binary digits  $B_2$  and  $B_1$  are connected to this terminal, therefore  $B_2B_1B_0 = 110$  (Figure).

## **Case 8**  $\sqrt{27} = 1$

When MZI7 receives the control signal  $I_7 = 1$ , the output is sent to terminal one of the device. In binary, bit  $B_2B_1B_0$  is equal to 111, hence this terminal is tied to that bit. This represents the octal value 7  $(I_7)$  in binary.

## **Result and Discussion:**

Both the ER and IL for the B-O code converter and the O-B code converter have been determined and are presented in Tables.

## **Table 3.Performance parameters for B-O converter**



#### **Table 4. Performance parameters for O-B converter**



Both the binary to octal and the octal to binary electro-optical code converters are discussed in depth in this chapter. Electro-optical code converters like this have applications in optical

computing and data processing. The guidelines for implementing MZI-based code converters between B and O and O and B are clearly laid forth. The findings and discussion section includes the computation of several relevant parameters for an optical communication system, such as the extinction ratio and the insertion loss, as well as their subsequent discussion. Both the B-O and O-B converter ER values were estimated to be 16.7464 and 15.3577 dB.

## **CONCLUSION:**

For this identical device, we may determine an insertion loss of 0.03095 and 1.41961 dB, respectively. Our device design hypothesis was supported by the analyzed mathematical data and the simulated outcomes generated in MATLAB. In addition, the Opti-BPM simulation programme was used to verify the described approach of implementing these devices through the finite difference beam propagation method.

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